## B.E. Semester-III (E.C.) Question Bank

## (Digital Electronics)

## All questions carry equal marks (10 marks)

| Q. 1 | Do as directed: |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1. | $(516)_{7}=(\quad)_{10}$ |  | $)_{16}$ |  |  |  |
|  | 2. | $(250.5)_{10}=(\quad)_{8}=$ |  | ${ }_{8}=(\quad)_{4}$ |  |  |  |
|  | 3. | $(2 \mathrm{ED})_{16}=(\quad)_{8}=($ |  | $)_{2}$ |  |  |  |
|  | 4. | (38) $)_{9}=(\quad)_{5}=($ |  |  |  |  |  |
|  | 5. | Obtain the 9's and 10's complement of (864) 10 . |  |  |  |  |  |
| Q. 2 | Do as directed: |  |  |  |  |  |  |
|  | 1. | $(198)_{12}+(12121)_{3}=(\quad)_{8}$ |  |  |  |  |  |
|  | 2. | Determine the value of base x if $(50)_{\mathrm{x}}=(203)_{4}$ |  |  |  |  |  |
|  | 3. | Given the two binary numbers $\mathrm{X}=1010101$ and $\mathrm{Y}=1001011$, perform the subtraction $\mathrm{X}-\mathrm{Y}$ using 1's complements. |  |  |  |  |  |
|  | 4. | Using 10's complement perform (4572) 10-( $^{(2102)_{10}}$. |  |  |  |  |  |
|  | 5. | Multiply the (135) ${ }_{6}$ and (43) ${ }_{6}$ in the given base without converting to decimal. |  |  |  |  |  |
| Q. 3 | Do as directed: |  |  |  |  |  |  |
|  | 1. | $(347)_{10}=(\quad)_{2}=($ |  | $)_{8}=($ | $)_{5}=($ | $)_{16}=($ | $)_{\text {BCD }}$ |
|  | 2. | $(11010111.110)_{2}=($ |  |  | $)_{12}=($ | $)_{16}$ |  |
|  | 3. ${ }^{\text {a }}$ as directed: |  |  |  |  |  |  |
| Q-4 |  |  |  |  |  |  |  |
|  | 1. | Multiply the (267) $)_{8}$ and $(71)_{8}$ in the given base without converting to decimal. |  |  |  |  |  |
|  | 2. | $(103)_{4}+(50)_{7}=(\quad)_{9}$ |  |  |  |  |  |
|  | 3. | Determine the value of base $b$ if $(211)_{b}=(152)_{8}$ |  |  |  |  |  |
|  | 4. | Given the two binary numbers $\mathrm{X}=11010$ and $\mathrm{Y}=1101$, perform the subtraction X - Y using 2's complement. |  |  |  |  |  |
|  | 5. | Using 9's complement perform (582) ${ }_{10}$-(1002) ${ }_{10}$. |  |  |  |  |  |
| Q. 5 | (a) | Define duality principal and explain it with the help of example. Find the complements of the functions $\mathbf{F} \mathbf{1}=\mathbf{x}^{\prime} \mathbf{y z} \mathbf{z}^{\prime}+\mathbf{x}^{\prime} \mathbf{y}^{\prime} \mathbf{z}$ and $\mathbf{F} \mathbf{2}=\mathbf{x}\left(\mathbf{y}^{\prime} \mathbf{z}^{\prime}+\mathbf{y z}\right)$ by taking their duals and complementing each literal. |  |  |  |  |  |
|  | (b) | Demonstrate by means of truth tables the validity of the De Morgan's theorems for three variables. Find the complement of $\mathbf{F}=\mathbf{a}\left(\mathbf{b}^{\prime} \mathbf{c} \mathbf{\prime}+\mathbf{b c}\right)$ by applying De Morgan's theorem as many times as necessary. |  |  |  |  |  |
| Q. 6 | (a) | Demonstrate by means of truth table the validity of the distributive law of + over $\cdot$. Also show that the NOR and NAND operators are not associative. |  |  |  |  |  |
|  | (b) | Prove that a positive-logic AND gate is a negative-logic OR gate and vice-versa. |  |  |  |  |  |
| Q. 7 | (a) | Express the Boolean function $\mathbf{F}(\mathbf{p}, \mathbf{q}, \mathbf{r}, \mathbf{s})=\mathbf{s}(\mathbf{p}+\mathbf{q})+\mathbf{q} ' \mathbf{s}$ in a sum of minterms and a product of maxterms. |  |  |  |  |  |
|  | (b) | Given the Boolean function: $\mathbf{F}=\mathbf{x y} \mathbf{+} \mathbf{x}^{\prime} \mathbf{y}^{\prime}+\mathbf{y}^{\prime} \mathbf{z}$ |  |  |  |  |  |
|  |  | 1. Implement it with only OR and NOT gates. |  |  |  |  |  |
|  |  | 2. Implement it with only AND and NOT gates. |  |  |  |  |  |
| Q. 8 | (a) | What is the difference between canonical form and standard form? Express the Boolean function $\mathbf{F}(\mathbf{p}, \mathbf{q}, \mathbf{r})=(\mathbf{p q} \mathbf{+})(\mathbf{q}+\mathbf{p r})$ in a sum of minterms and a product of maxterms. |  |  |  |  |  |
|  | (b) | Realize 2 input X-OR gate using NOR gates only. |  |  |  |  |  |
| Q. 9 | (a) | Simplify the following Boolean expressions by manipulation of Boolean algebra. |  |  |  |  |  |
|  |  | 1. $\quad \mathrm{F}(\mathrm{x}, \mathrm{y}, \mathrm{z})=\mathrm{xy}+\mathrm{xyz}+\mathrm{xyz}$ ' $+\mathrm{x}^{\prime} \mathrm{yz}$ |  |  |  |  |  |
|  |  | 2. $\mathrm{F}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D})=\mathrm{A}^{\prime} \mathrm{C}\left(\mathrm{A}^{\prime} \mathrm{BD}\right)^{\prime}+\mathrm{A}^{\prime} \mathrm{BC}^{\prime} \mathrm{D}^{\prime}+\mathrm{AB}^{\prime} \mathrm{C}$ |  |  |  |  |  |


|  | (b) | Simplify the Boolean function $\mathbf{F}(\mathbf{w}, \mathbf{x}, \mathbf{y}, \mathbf{z})=\mathbf{w}^{\prime} \mathbf{x}^{\prime} \mathbf{z} \mathbf{z}^{\prime}+\mathbf{w}^{\prime} \mathbf{y z}+\mathbf{w} \mathbf{\prime} \mathbf{x y}$ using don't care conditions $\mathbf{d}=\mathbf{w}^{\prime} \mathbf{x y} \mathbf{y}^{\mathbf{z}} \mathbf{+} \mathbf{w} \mathbf{y z} \mathbf{+} \mathbf{w} \mathbf{x}^{\prime} \mathbf{z}$ ' in (i) sum of products and (ii) product of sums using Karnaugh map. |  |
| :---: | :---: | :---: | :---: |
| Q. 10 | (a) | Prove that: |  |
|  |  | 1. | +x' $y+w y=w x+x^{\prime} y$ |
|  |  | 2. | $(\mathrm{AB}+\mathrm{C}+\mathrm{D})\left(\mathrm{C}^{\prime}+\mathrm{D}\right)\left(\mathrm{C}^{\prime}+\mathrm{D}+\mathrm{E}\right)=\mathrm{ABC}^{\prime}+\mathrm{D}$ |
|  |  | 3. | $(A+B)^{\prime}\left(A^{\prime}+B^{\prime}\right)^{\prime}=0$ |
|  | (b) | Simplify the function $F(A, B, C, D, E)=\Sigma m(0,2,4,6,9,11,13,15,17,21,25,27,29,31)$ using Karnaugh map. |  |
| Q. 11 | (a) | Reduce the following Boolean expressions to the required number of literals. |  |
|  |  | 1. | $\mathrm{F}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D})=(\mathrm{A}+\mathrm{C}+\mathrm{D})\left(\mathrm{A}+\mathrm{C}+\mathrm{D}^{\prime}\right)\left(\mathrm{A}+\mathrm{C}^{\prime}+\mathrm{D}\right)\left(\mathrm{A}+\mathrm{B}^{\prime}\right)$ to four literals. |
|  |  | 2. |  |
|  | (b) | Simplify the Boolean functions $\mathrm{F}=\mathrm{w}^{\prime}\left(\mathrm{x}^{\prime} \mathrm{y}+\mathrm{x}^{\prime} \mathrm{y}^{\prime}+\mathrm{xyz}\right)+\mathrm{x}^{\prime} \mathrm{z}^{\prime}(\mathrm{y}+\mathrm{w})$ using don'tcare conditions $d=w^{\prime} x\left(y^{\prime} z+y z^{\prime}\right)+w y z$ in (i) sum of products and (ii) product of sums using Karnaugh map. |  |
| Q. 12 | (a) | Simplify the following Boolean expressions. |  |
|  |  | 1. | $F(w, x, y, z)=x y+w y^{\prime}+w x+x y z$ |
|  |  | 2. | $\mathrm{F}(\mathrm{p}, \mathrm{q}, \mathrm{r}, \mathrm{s})=(\mathrm{p}, \mathrm{q})(\mathrm{p}+\mathrm{q}+\mathrm{s}) \mathrm{s}^{\prime}$ |
|  | (b) | Simplify the following Boolean functions using Karnaugh map: |  |
|  |  | 1. | $\mathrm{F}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D})=\Pi(0,1,2,3,4,10,11)$ |
|  |  | $\mathrm{F}(\mathrm{w}, \mathrm{x}, \mathrm{y}, \mathrm{z})=\Sigma \mathrm{m}(0,1,2,4,5,12,13,14)+$ don't care conditions $\Sigma \mathrm{d}(6,8,9)$. |  |
| Q. 13 | Write brief notes on: |  |  |
|  | (a) | Full adder |  |
|  | (b) | Read-Only Memory (ROM) |  |
| Q-14 | (a) | Why are NAND and NOR gates known as universal gates? Explain in detail. |  |
|  | (b) | Explain full- subtractor. Implement a full-subtractor with two half- subtractors and an OR gate. |  |
| Q. 15 | Implement Boolean functions |  |  |
|  | (a) | $\mathrm{F}=\left(\mathrm{A}+\mathrm{B}^{\prime}\right)(\mathrm{CD}+\mathrm{E})$ using only NAND gates. |  |
|  | (b) | $\mathrm{F}=\mathrm{A}(\mathrm{B}+\mathrm{CD})+\mathrm{BC}$ ' with only NOR gates. |  |
|  | (c) | $\mathrm{F}=\mathrm{x}^{\prime} \mathrm{y}+\mathrm{xy}{ }^{\prime}$ using only four NAND gates. |  |
| Q. 16 | Simplify the function $\mathrm{F}(\mathrm{w}, \mathrm{x}, \mathrm{y}, \mathrm{z})=\Sigma(0,1,2,8,10,11,14,15)$ using tabulation method. |  |  |
| Q. 17 | Using the tabulation method, obtain the simplified expression in product of sums for the Boolean function $\mathrm{F}(\mathrm{w}, \mathrm{x}, \mathrm{y}, \mathrm{z})=\Pi(1,3,5,7,13,15)$. |  |  |
| Q. 18 | Simplify the Boolean function $\mathrm{F}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{F})=\Sigma(6,9,13,18,19,25,27,29,41,45,57,61)$ using tabulation method. |  |  |
| Q. 19 | Write short notes on: |  |  |
|  | (a) | Design of BCD-to-excess-3 code converter |  |
|  | (b) | Programmable Logic Array (PLA) |  |
| Q. 20 | Differentiate between combinational logic circuit and sequential logic circuit. Design a combinational circuit that accepts a three-bit number and generates an output binary number equal to the square of the input number. |  |  |
| Q. 21 | Design a combinational circuit whose input is a four-bit number and whose output is the 2's complement of the input number. |  |  |
| Q. 22 | Design a combinational circuit that converts a decimal digit from the $2,4,2,1$ code to the 8,4,-2,-1 code. |  |  |
| Q. 23 | Design a combinational circuit that multiplies by 5 an input decimal digit represented in BCD. The output is also in BCD. Show that the output can be obtained from the input lines without using any logic gates. |  |  |
| Q. 24 | Design a combinational circuit that converts a four-bit reflected-code number to a fourbit binary number. Implement the circuit with exclusive-OR gates. |  |  |


| Q. 25 | Write note on "Binary parallel adder". Also draw logic diagram of a look-ahead carry generator and describe 4-bit full adder with look-ahead carry in detail. |
| :---: | :---: |
| Q. 26 | (a) Construct BCD adder using two 4-bit binary parallel adder and logic gates. |
|  | (b) Explain 4-bit magnitude comparato |
| Q. 27 | Describe decoders using suitable example and design a BCD-to-decimal decoder. |
| Q. 28 | Describe digital multiplexer in detail using suitable example. Obtain an $8 \times 1$ multiplexer with a dual 4 -line to 1 -line multiplexers having separate enable inputs but common selection lines. Use block diagram construction. |
| Q. 29 | (a) Construct a $5 \times 32$ decoder with four $3 \times 8$ decoder and a $2 \times 4$ decoder. Use block diagram construction only. |
|  | (b) $\begin{aligned} & \text { Implement } \\ & \text { multiplexer. }\end{aligned}$ Boolean function $\mathrm{F}(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D})=\Sigma \mathrm{m}(0,1,3,4,8,9,15)$ using $8: 1$ |
| Q | (a) Design 3-bit binary counter using T flip-flop. |
|  | (b) Discuss "Digital IC logic families and characteristic of basic gate in each family". |
| Q. 31 | Explain race-around condition in relation to the J-K flip-flops using timing relationships. Draw the clocked Master-Slave J-K flip-flop configuration and explain how it removes race-around condition in J-K flip-flops. |
| Q. 32 | Describe triggering of flip-flops and explain operation of an edge triggered D flip-flop. |
| Q. 33 | Write state equations for all flip-flops. Design a sequential circuit with JK flip-flops to satisfy the following state equations: $\begin{aligned} & \mathrm{A}(\mathrm{t}+1)=\mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{CD}+\mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}+\mathrm{ACD}+\mathrm{AC}^{\prime} \mathrm{D}^{\prime} \\ & \mathrm{B}(\mathrm{t}+1)=\mathrm{A}^{\prime} \mathrm{C}+\mathrm{CD} \mathrm{D}^{\prime}+\mathrm{A}^{\prime} \mathrm{BC}^{\prime} \\ & \mathrm{C}(\mathrm{t}+1)=\mathrm{B} \\ & \mathrm{D}(\mathrm{t}+1)=\mathrm{D}^{\prime} \\ & \hline \end{aligned}$ |
| Q. 34 | Draw the logic diagram of clocked RS Flip-Flop and explain its operation. Design a counter with the following binary sequence: $0,1,3,2,6,4,5,7$ and repeat. Use RS flipflops. |
| Q. 35 | Explain 4-bit synchronous up-down binary counter. |
| Q. 36 | Describe shift registers and explain 4-bit bidirectional shift register with parallel load. |
| Q. 37 | Differentiate between synchronous counter and ripple counter. Explain BCD ripple counter with logic diagram and timing diagram. |
| Q. 38 | Write Short notes on: |
|  | 1. Complementary MOS (CMOS) 2. BCD synchronous counter |
| Q. | Write Short notes on: |
|  | 1. Emitter-coupled Logic (ECL) 2. Ring counter |
| Q | Write Short notes on: |
|  | 1. Schottky TTL gate 2. 4-bit binary ripple counter |

